

EFFICIENT IMPLEMENTATION AND ANALYSIS OF 2D DWT ARCHITECTURE FOR JPEG 2000

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Abstract: In another design, a specific approach to 2-D Discrete Wavelet Transform (DWT) has been developed. This approach involves a Multiplier-and Accumulator (MAC) based Radix-4 Booth Multiplication Algorithm to facilitate fast arithmetic operations. The design has been implemented on Xilinx hardware. To improve performance, the technique combines increment with accumulation and introduces a carry-save adder structure. Additionally, a balanced corner encoder is utilized to reduce the number of partial products generated by a factor of 2. Fast multipliers play a crucial role in digital signal processing systems, where the speed of multiplication operations is of paramount importance. In this context, the number being multiplied is referred to as the multiplicand, the number of times it is multiplied is the multiplier, and the result is the product. Each multiplication step produces an intermediate product. Simulation is carried out using Modelsim, and the final output is analyzed using Matlab. This design is geared toward achieving efficient and high-speed arithmetic operations.

Keywords: - VLSI, Carry Select Adder (CSA), Carry Look Ahead Adder (CLA), ASM

1. INTRODUCTION TO DWT

The Discrete Wavelet Transform (DWT) is the change of choice at the heart generally picture pressure estimations. Grasped by the JPEG 2000 picture pressure standard [1], it basically beats counts in light of various changes, for instance, the discrete cosine change, in regards to target estimations and also perceptual picture quality [2]. The accomplishment of the DWT originates from its effortlessness of

estimation and its trademark weakening of a photo into non-covering subbands that enables the setup of compelling quantization figurings and considers combination of the human visual structure. A DWT based picture codec is a tolerable choice for applications, for instance, remote examination, urban request and rescue operations and satellite imaging. These applications require transmission of still pictures from remote picture securing contraptions to base stations. Pictures are compacted after acquirement to diminish the amount of data bits that ought to be transmitted back to the base station over a wired or remote correspondence channel. A better than average gear codec used in these applications will have: low idleness and high throughput if steady operation is needed, low power usage if working in an untethered, battery-driven environment, little hardware estimate, and specifically, high dedication for the reproduced picture after pressure. This wavelet has been seemed to have properties positive for picture pressure; part I of the JPEG 2000 standard shows this wavelet for lossy pressure. The DWT is frequently handled using an immaculate recreation (PR) channel bank. The execution of a FPGA use of the channel bank depends on upon the going with two use arrange issues:

1. the channel bank structure and channel coefficient quantization; and,
2. the gear designing used to realize the channel bank structure.

The channel bank structure chooses gear estimations, for instance, throughput and torpidity while channel coefficient quantization influences the sign get ready properties of the

channel bank and chooses its photo pressure execution. The hardware building of the channel bank chooses properties, for instance, inertia and drive use. This hypothesis investigates the primary issue of channel bank execution, to be particular, channel bank structure and coefficient quantization. The photo pressure execution of the station bank utilization in a general sense depends upon the two faultless revamping (PR) conditions: the no-twisting condition and the no partner condition.

Exactly when the senseless coefficients of the biorthogonal 9/7 wavelet stations are executed in a floating point assemble, both PR conditions are satisfied and the station bank gives immaculate revamping under lossless pressure. Duplication is then refined by moving and including. Thusly, the channel coefficients must be quantized, i.e. approximated by adjusted point SPT representations. The amount of non-zero terms in the SPT representation of a coefficient, implied by T , gives an evaluation of the gear cost associated with realizing the coefficient. This quantization of the channel coefficients conforms the no bowing PR condition and, in this way, picture pressure execution is impacted. the closer the quantized channel coefficients are to the un quantized coefficients, and the closer the quantized pressure execution is to the un quantized execution. Regardless, more non-zero terms suggests higher hardware cost.

Then again, less non-zero terms suggests bring down hardware cost, however more horrendous pressure execution. Thus there is a trade off between gear cost and pressure execution. The channel bank structure in like manner effects the execution of the channel bank. Course channel structures are more immune to coefficient quantization than direct structures and, when in doubt result in better

pressure execution for a similar T . Moreover, polyphase structures work at higher clock speeds than non-polyphase structures and from this time forward realize better throughput. The lifting structure an other choice to the standard channel bank structure offers the upside of an orthogonal use that is all the more intense to coefficient quantization. Each of the three structures are evaluated the extent that pressure execution (using peak sign-to-hullabaloo extent PSNR) and distinctive gear estimations. For each structure, perfect quantized qualities are found for the channel coefficients. These coefficients engage the use of a speedy, multiplier less DWT codec that delivers the best PSNR execution for the given structure.

2. Outline

In this paper we used picture taking care of using VHDL the figuring for picture weight using DWT and changed Radix-4 Booth computation for lessening the deferral time for execution of the system and to diminish the storage space in hard plate.

1. Picture is taken as a data using Matlab and making the structure of line and segments up to quantization levels [256, 256] line and portion.
2. The component is created of the information picture in VHDL coding by making '_Do archive' for execution in Modelsim VHDL coding .
3. Changed Booth computation is associated on the data picture strings lines and segments to get the midway things as yield of picture in VHDL coding in Modelsim.
4. Corner count used as a Multiplier to make the midway things. Use of Multiplier to updates the speed of execution and making a less storage space for the execution of venture.

5. The last yield of Booth counts deficient things are used as a commitment to DWT for picture weight framework.
6. The yield resultant cross section parts or Pixels of DWT is repeated on MATLAB to procured looking at yield stuffed picture.
7. The Compressed Output Image delivered is in Gray Scale Format.
8. Yield picture is in like manner researched by using Haar wavelet Transform.

3. DRAW BLOCK DIAGRAM OF PROJECT FLOW CHART

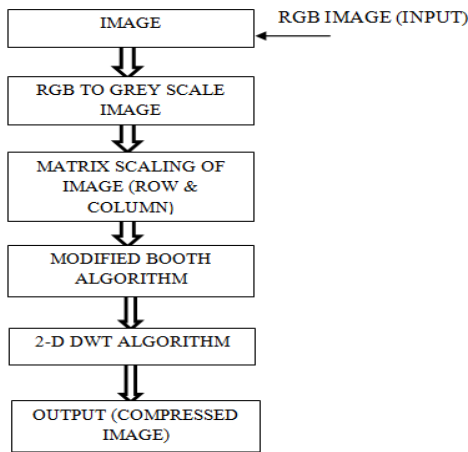


Fig. 1. Block Diagram of Project

4. DETAILS OF BLOCK DIAGRAM

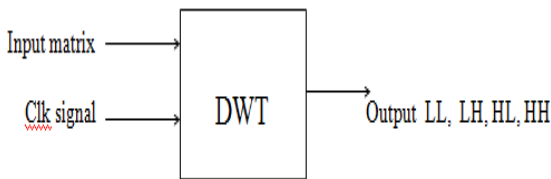


Fig 1(a). Design of Architecture of DWT

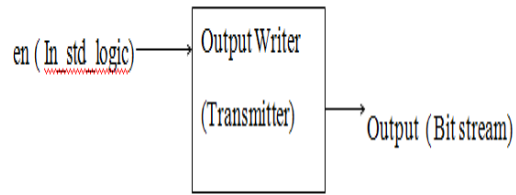


Fig 1(b). Design of Output Transmitter

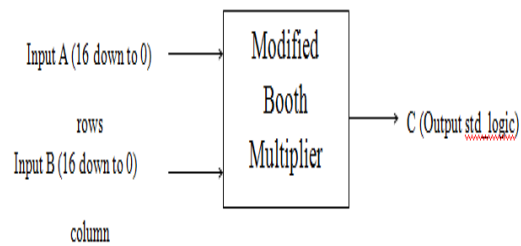


Fig 1 (c). Design of architecture of modified Booth algorithm

5. Overview OF DWT:

1-D DWT stays for one dimensional discrete wavelet change. It is a change like discrete fourier transform(DFT). It uses multi-assurance technique for time-repeat examination of signs. The essential favored outlook of DWT appeared differently in relation to DFT is that we get both time and repeat examination of a sign meanwhile.

The DWT is basically used for picture weight. It furthermore has diverse sign get ready applications. The DWT can give basic weight extents than the past systems like the Discrete Cosine Transform (DCT) and the Discrete Fourier Transform(DFT). The sign to be analyzed is adhered to low pass and high pass procedures. This is then trailed by devastation by two. This yields the low pass sub-bandyL and the high pass sub-bandyH. To change the principal signal we first do addition took after by low pass and high pass isolating. This is spoken to in the figure underneath.

5.1 Wavelets Multi-Resolution Analysis:

• Example: consider the progression of pixels:
10 8 1 3 5 7 8 6

midpoints: [9 2 6 7] contrasts: [2 - 2]

midpoints: [5.5 6.5] differences:[- 7 1]

averages:[6] contrasts: [1]

• Each stage segregates the band into 2 subbands – low repeat + high repeat coefficients

• Regions of discontinuities will have endless coefficients, smooth areas will have tinier differences

• Error displayed by truncating a coefficient is in respect to its size, can truncate little coefficients without broad bowing

5.2. 1-D DWT for Image Compression:

• DWT coefficients of data picture - distinctive levels of wave-letting

• Coefficients are quantized - coefficients in each subband is quantized freely

• Coefficients are zero thresholded, unmistakable subbands have differing edges

• Longs spells of zero are run length encoded

• The coefficients are then entropy encoded

5.3 DWT Algorithm:

A) Design Specification

• Input picture: 512x512 pixel, dim scale layout, 8 bits/pixel

• Support 3 interesting outlines of encoder with changing levels of weight

B) Design Partition - 2 stages

• Stage 1: DWT coefficients more than 3 periods of wave-letting

• Stage 2: Dynamic Quantization, Zero thresholding, RLE of zeroes and, Entropy encoding of DWT coefficients

• 2 phases are executed on 2 separate Pes

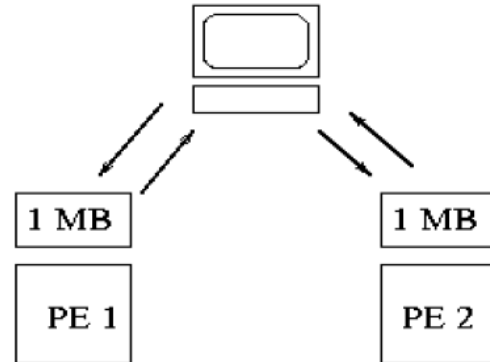


Fig 2. Stages of implementation

Stage 1(a) - DWT coefficients

• **Input:** 8 bit pixels, **Output:** DWT coefficients - 16 bits

• 2 pixels/WORD, 512 Rows and 256 Columns, 0.5 MB

• From 512 pixels in a row, extract 256 low frequency coefficients + 256 high frequency coefficients

• Symmetric extension at the boundaries

A		01	00	01	17
X	×	11	01	11	-9
Y		01	10	01	recoded multiplier operation
		-A	+2A	-A	
Add -A	+	10	11	11	
2-bit Shift		1	11	10	11
Add 2A	+	0	10	00	10
		01	11	01	11
2-bit Shift		00	01	11	01
Add -A	+	10	11	11	
		11	01	10	01
					-153

Fig 3. Modified Radix-4 booth Multiplication

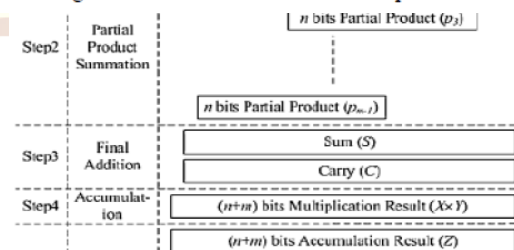


Fig 4. Basic arithmetic steps of multiplication and accumulation[1],[2][8].

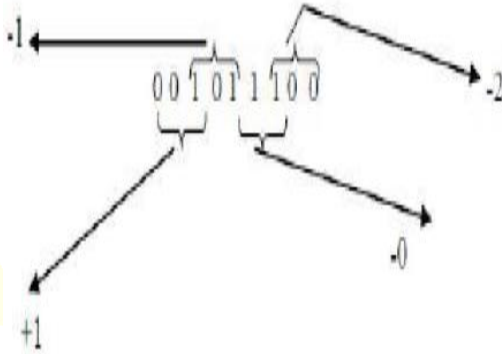


Fig 5. Booth Recoding [2][9].

Table 1 : Radix 4 Booth Table

Select Line (Encoding)	Partial Products (Operation)
000	Add 0
001	Add multiplicand
010	Add multiplicand
011	Add 2* multiplicand
100	Subtract 2* multiplicand
101	Subtract multiplicand
110	Subtract multiplicand
111	Subtract 0

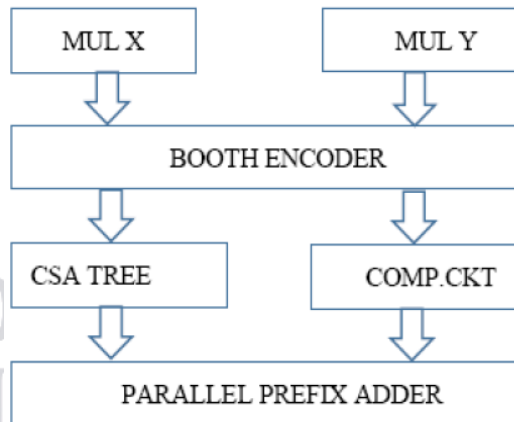
The recoding is finished by attaching one zero to the Least Significant Bit (LSB) and expanding the Most Significant Bit (MSB) with the sign piece if important. At that point the gathering of 3 bits from the LSB is done as appeared in Fig 2. The acquired outcome is - 1 - 1 0 - 2. This outcome is duplicated with the multiplier and the quantity of incomplete item is diminished [2][11].

9. VLSI ARCHITECTURE IMPLEMENTATION

The engineering of the proposed ECAT Booth multiplier is planned by utilizing tree-based convey spare lessening took after by parallel-prefix convey proliferate expansion design.

The entire design of the proposed ECAT Booth multiplier is appeared in Fig.accumulator. In conclusive snake both aggregate and convey is added to deliver the 2N bits item.

Fig 6. VLSI Architecture [2][12]



10. ARCHITECTURE OF A MULTIPLIER

A multiplier can be partitioned into three operational strides:

- i. Radix-4 Booth calculation in which a halfway item is created.
- ii. Convey spare viper and Accumulator
- iii. The last option in which the last increase result is created by including the entirety and the convey

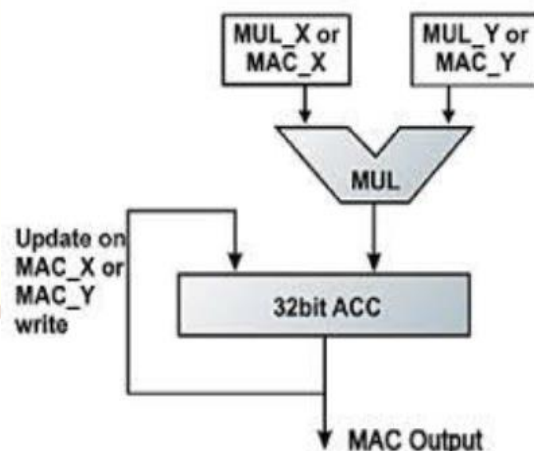


Fig 7. MAC Multiplier[1].

Overall if N-bit data of multiplicand X is copied with N-bit multiplier Y then it makes N-partial things. In any case, if Radix-4 corner figuring is used then number of midway things will be diminished to $N/2$. In CSA, the sign increase is used as a piece of demand to grow the bit thickness of the operands. Half snake is used to deliver add up to and pass on in CSA. The made pass on is secured in gatherer [1][11].

11. 2-D DISCRETE WAVELET TRANSFORM

The basic troubles in the gear models for 1-D DWT are the planning speed and the amount of multipliers and adders while for 2-D DWT it is the memory issue that overpowers the hardware cost and the building unpredictability. A 2-D DWT is a particular change where 1-D wavelet change is brought the lines and subsequently a 1-D wavelet change along the segments. The 2-D DWT works by embeddings show transposition between the two 1-D DWT. The lines of the bunch are arranged first with emerge level of crumbling. This essentially segments the display into two vertical parts, with the fundamental half securing the ordinary coefficients, while the second vertical half stores the unobtrusive component coefficients. This technique is repeated again with the sections, achieving four sub-bunches inside the display portrayed by divert output.as in three-level crumbling.

The LL sub-band addresses a figure of the main picture, the LL1 sub-band can be considered as a 2:1 sub-inspected adjustment of the principal picture. The other three sub-bunches HL1, LH1, and HH1 contain higher repeat unpretentious component information. This system is repeated for as many levels of weakening as needed. The JPEG 2000 standard shows five levels of crumbling, but three are typically seen as commendable in gear. All together to extend the 1-D channel to process 2-D DWT in JPEG2000, two

concentrations must be checked. Firstly, the 1-D DWT produces the control flag memory to enlist 2-D DWT and manages the internal memory get to. Additionally, we need to store brief outcomes delivered by 2-D portion channel. The measure of the external memory get to and the range controlled by the introduced inside support are seen as the most essential issues for the use of 2-D DWT. As the hold is used to decrease the essential memory access in the general processor models, in Similar way, the inside support is used to reduce the outside memory access for 2-D DWT. In any case, within support would have much region and constrain usage. Three essential building arrangement strategies were proposed in the written work with the plan to complete gainfully the 2-D DWT level by level, line-based and square based outlines. These models address this inconvenience in different ways. An average level-by-level outline as usages a single taking care of module that first strategies the lines, and after that the sections. Widely appealing qualities among line and area get ready are secured in memory. Since this memory must be adequately tremendous to keep wavelet coefficients for the entire picture, outside memory is for the most part used. Access to the outside memory is here and there done in line insightful demand, and as a rule in area shrewd demand, so high-information exchange limit get to modes can't be used. 157 outside memory get to can transform into the execution bottleneck of the structure for the given J level of rot [3][12][14].

12.1 IMAGE ACQUISITION: Electronic contraptions, for instance, optical (propelled/video) camera, webcam thus on can be used to get the picked up pictures. In our wander we have taken example picture pictures. As showed up in figure underneath



Fig 8. Input JPEG Image taken from gallery.

12.2 RGB IMAGE TO GRAY SCALE IMAGE

In photography and figuring, a diminish scale mechanized picture is a photograph inside which the estimation of every constituent may be a single illustration, that is it passes on solely compel data. Photographs of this kind, additionally celebrated as very differentiating, are made exclusively out of overhaul diminish, varying from dim at the weakest energy to white and no more grounded. In dull scale pictures, in any case, we have a tendency to don't thoroughly discrete however rich we have a tendency to transmit of the assorted shades we tend to release a similar sum in every channel. What we will separate is that the total measure of transmitted lightweight for every pixel; no lightweight offers dull pixels and far lightweight is viewed as splendid pixels. While changing over a RGB picture to diminish scale, we've to require the RGB worth's for every constituent and work as yield one quality insightful the sparkle of that constituent. One such approach is to require the normal of the dedication from each channel: $(R+B+C)/3$. The red, in experienced and Blue parts square measure disengaged

from the twenty four piece shading worth of every constituent (i,j) to figure the eight piece dull worth misuse the condition. The Fig. underneath exhibits the dull scale picture.

12.3 INSERT BLACK & WHITE IMAGE OF MATLAB



Fig 9. Output JPEG Image after simulation.

13 . CONCLUSION

In this paper, we have separated the 2-D Discrete Wavelet Transform by using Radix 4-slow down multiplier and computational time for the particular models . This result is significant for changing over the RGB picture into dim scale picture and researching another methodology pipelined of dealing with different data streams sensible for application in picture and video taking care of sight and sound progressing applications. Exactly when down investigating in wavelet transform we need to copy the line and segment with the down inspecting segment, this expansion is being done by the corner multiplier. that is the reason we are hinting at change yield when appeared differently in relation to Normal Multiplication. Subsequently the time by common slow down Multiplier is 521225010 ns and time taken by Radix-4 Booth multiplier is 26061000 ns from this time forward close around half power diminish than the conventional Normal Booth Multiplier.

14. SIMULATION RESULT & ANALYSIS

14.1. Simulation Result:

14.1(a) Input selection of an image:

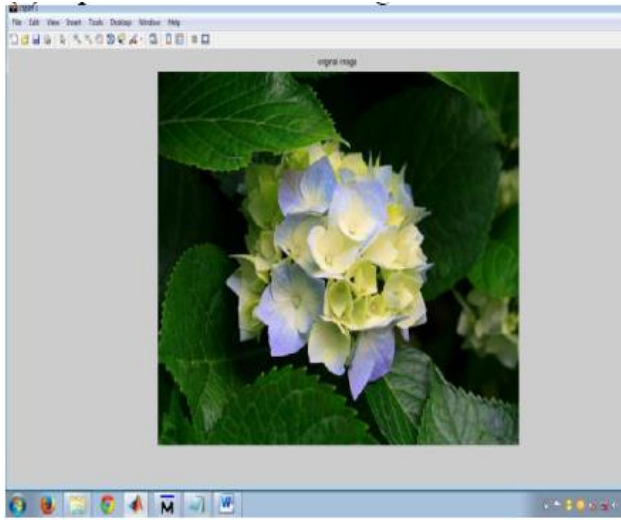


Fig 10.1 Input Image

14.1 (b) RGB to Gray Scale Image:

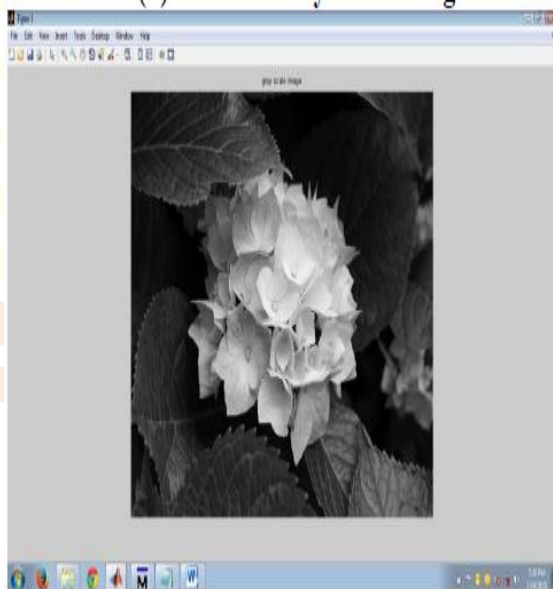


Fig 10.2 Output Image

14.2 (c) Simulation on VHDL coding on Model Sim 6.3F of MBA_DWT algorithm :
Fig 10.3 Simulation on Modelsim

14.3 (d) Output Writer :

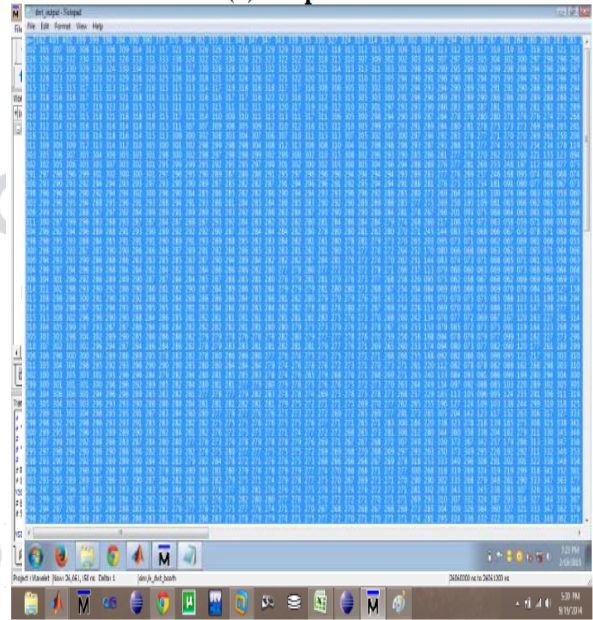


Fig 10.4 DWT_output

14.5 (g). Output in Test Bench Waveform

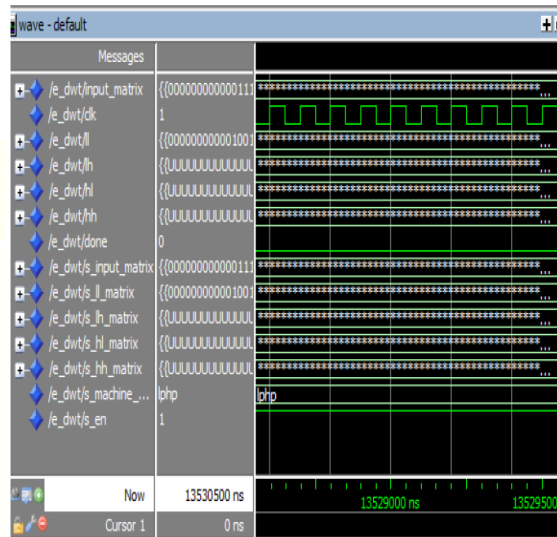


Fig 10.7 Test Bench waveform

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